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Subject All Subject Expand Language Teaching and Learning Criminology and Criminal Justice Interdisciplinary Studies Museums, Libraries, and Information Sciences Regional and Area Studies Under certain conditions, polymers cooled from the melt can arrange into regular crystalline structures. The formation of these polymer crystals involves two processes that occur spontaneously while a polymer melt is cooled below its melting point. The first process is the formation of stable primary nuclei which itself are the result of fluctuations in density or order of supercooled melt. The growth rate of these nuclei requires sufficient mobility which increases with increasing temperature, whereas the rate of nucleation increases with decreasing temperature. Thus, the overall process is the formation of stable primary nuclei somewhere between the melting point and glass transition temperature. Due to the larger rate of nucleation and smaller growth rate, the size of the crystallites (spherulites) decreases at lower temperatures whereas their number per unit volume increases. The lower mobility of the polymer chains at low temperatures also leads to less perfect crystallites (more defects in each lamellae). Crystallization does not always occur, that is, some polymers are 100 percent amorphous. This is the case when the growth rate of the polymer crystallites is much slower than the cooling rate. Or in other words, crystallization only proceeds if the temperature stays in the appropriate temperature range for an extended time long enough to convert the melt into crystals. However, some portion of the polymer will always remain in a non-crystalline (irregular or amorphous) state. It's fraction will depend on factors such as cooling rate, temperature, light, and degree of branching. In some cases, spontaneous nucleation is not sufficient to reach acceptable growth rates. In that case, small particles are added to the melt that act as seeds or nucleating agents. Partial melting can occur at temperatures above the glass transition temperature, starting from the melting point, as the temperature is lowered the (spherulite) growth rate decreases until it reaches a maximum at an intermediate temperature. The growth rate as a function of time is more or less the same as the overall curve with the same growth rate in both the glass transition and equilibrium regions. The morphology of the crystals and the degree of crystallinity depend on the type and structure of the polymer, and on the growth conditions. A narrow molecular weight distribution and a high molecular weight tends to increase the crystallinity. The same is true for strong intermolecular forces and stiff chain backbones because the molecules prefer an ordered arrangement with maximum packing density to maximize the number of secondary bonds. Bulky side groups and branching, on the other hand, lower the crystallinity because with increasing size of the side groups it becomes progressively more difficult for the polymer to fold and align itself along the crystal growth direction. The degree of crystallinity also depends on the tacticity of the polymer. The greater the order in a macromolecule the greater the crystallization rate constant. The latter parameter combines the contribution of both nucleation and growth. The Avrami index in the equation above can be split into two indices: $n = nd + nn$ where nd represents the dimensionality of the growing crystals. This parameter can only have the values 1, 2, or 3. In the case of polymers, only 2 or 3 are encountered. $nd = 2$ describes two dimensional lamellar growth and $nd = 3$ three dimensional radial growth, i.e. spherulites. nn describes the time dependence of nucleation. This parameter has values between 0 and 1, where 0 corresponds to instantaneous nucleation and 1 to sporadic nucleation. A value of about 0.5 is often indicative for diffusion controlled growth, because diffusion is proportional to square root of time. Thus, the overall Avrami index, n , typically varies between 2 and 4. In practice, the Avrami equation is normally written in its logarithmic form: $\ln(-\ln(1 - f(t))) = \ln Q = \ln kn + n \ln A$ plot of $\ln Q$ versus $\ln t$ yields a straight line from which the Avrami parameters kn (antilog of intercept) and n (slope) can be readily extracted. The figure above shows the normalized volume fraction of crystallinity and the rate of crystallization as a function of time for two dimensional growth kinetic ($n = 2$) and constant crystallization rate ($k = 10.3 \text{ min}^{-2}$). The volume fraction has been normalized with the maximum possible crystallinity at infinite time and the slope of crystallization is the derivative of the Avrami equation with respect to time: $d\ln(Q)/dt = n \ln(1 - \exp(-knT))$. The crystallization half-time of this hypothetical crystal growth process is $t_{1/2} = [\ln 2 / knT]^{1/n} = [\ln 2 / 10.3]^{1/2} = 26.3 \text{ min}$, and the maximum rate of crystallization is $t_{\max} = [(n-1) / knk(T)]^{1/n} = [1 / 2 \cdot 10.3]^{1/2} = 22.4 \text{ min}$. References M. Avrami, J. Chem. Phys., 7, 1103 (1939); J. Chem. Phys., 8, 212 (1940); P. Supaphol, J. E Spruiel, J. of Appl. Polym. Sci. Vol. 75, 44-59 (2000); P. Supaphol, N. Dangseeyun, P. Srimoanon, M. Nithitanakul Thermochimica Acta 406, 207-220 (2003); Cornelia Vasile, Handbook of Polyolefins, 2nd Ed., Marcel Dekker 2000. The transformation of one phase from another by the growth of nuclei forming randomly in the parent phase. The Avrami equation describes how solids transform from one phase to another at constant temperature. It can specifically describe the kinetics of crystallisation, can be applied generally to other changes of phase in materials, like chemical reaction rates, and can even be meaningful in analyses of ecological systems.[1] The equation is also known as the Johnson-Mehl-Avrami-Kolmogorov (JMAK) equation. The equation was first derived by Kolmogorov in 1937 and popularized by Mael Avrami in a series of articles published in the Journal of Chemical Physics from 1939 to 1941.[2][3][4] Transformation kinetics This section does not cite any sources. Please help improve this section by adding citations to reliable sources. Unsourced material may be challenged and removed. (May 2020) (Learn how and when to remove this template message) Typical isothermal transformation plot (top). The transformation can be described using the Avrami equation as a plot of $\ln(1 - Y)$ vs $\ln t$, yielding a straight line. Transformations are often seen to follow a characteristic s-shaped, or sigmoidal, profile where the transformation rates are low at the beginning and the end of the transformation but rapid in between. The initial slow rate can be attributed to the time required for a significant number of nuclei to form and begin growing. During the intermediate period the transformation is rapid as the nuclei grow into particles and consume the old phase while nuclei continue to form in the remaining parent phase. Once the transformation approaches completion, there remains little untransformed material for further nucleation, and the production of new particles begins to slow. Additionally, the previously formed particles begin to touch one another, forming a boundary where growth stops. Derivation The simplest derivation of the Avrami equation makes a number of significant assumptions and simplifications:[5] Nucleation occurs randomly and homogeneously over the entire untransformed portion of the material. The growth rate does not depend on the extent of transformation. Growth occurs at the same rate in all directions. If these conditions are met, then a transformation of α into β will proceed by the nucleation of new particles at a rate N per unit volume, which grow at a rate G into spherical particles and only stop growing when they impinge upon each other. During a time interval $0 < \tau < t$ will proceed by the nucleation of new particles at a rate N per unit volume, which grow at a rate G into spherical particles and only stop growing when they impinge upon each other. 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